



Journal Website:
<https://theusajournals.com/index.php/ajast>

Copyright: Original content from this work may be used under the terms of the creative commons attributes 4.0 licence.

THE PROBLEM OF RESTORING THE RATE OF TEMPERATURE CHANGE ACCORDING TO INDIRECT OBSERVATIONS

Submission Date: April 13, 2024, Accepted Date: March 18, 2024,

Published Date: April 23, 2024

Crossref doi: <https://doi.org/10.37547/ajast/Volume04Issue04-03>

Rustamov Muhammadi Zhabborovich

Jizzakh Branch Of National University After Named Mirza Ulugbek, Uzbekistan

ABSTRACT

In this work the problem of temperature change in a given point of the surface solid State is considered. Applying the Dualism principle of the problem of managing and observation the question can bring to the problem of solution of extremal.

KEYWORDS

Revealing, heat, dualist, managing, observation, extremum, change, measurement.

INTRODUCTION

Consider heating an in nite plate of nite thickness $S = 1$, assuming that the initial temperature of the plate and the heating process are identical in thickness in all sections parallel to its side surface [1]. Then it is enough to analyze the process in some "rod" located in the plate. Let the temperature distribution over the thickness $x(0 \leq x \leq 1)$ of the plate and over time $t(0 \leq t \leq t^*)$ be described by a function $T(x, t)$, de ned in the rectangle, where

$$\Pi = [0, 1] \times [0, t^*], t^* > 0$$

a xed number. The function $T(x, t)$ is called the phase state of the heating process.

Inside the segment $[0, 1]$ and at $t^* > 0$ and during temperature distribution it obeys the heat equation:

$$\frac{\partial T(x, t)}{\partial t} = a \frac{\partial^2 T(x, t)}{\partial x^2} \quad (1)$$

Here a is the temperature conductivity coe cient. At the ends of the rod, the following heat transfer conditions are accepted:



$$\mu \frac{\partial T(x, t)}{\partial t} = \alpha [U(t) - T(1, t)]; \frac{\partial T(0, t)}{\partial x} = 0$$

Where μ - is the thermal conductivity coefficient, α - is the heat transfer coefficient between the heating medium, respectively, on one side $x=0$ and the side surface of the plate on the other. The left end of the plate $x=0$ is heat insulated. The temperature of the heating medium $U(t)$ is called the control action or simply control. Let during the heating process it is possible to measure the temperature change at some points of the heated body. The task of determining the rate of change in temperature $T(x, t)$ at the point $x \in [0, 1]$ over time at a given point of the rod from a known change in temperature at a point and the heat transfer law (1)-(2) is the subject of the identification (process) of heating, discussed below. Point $x_i \in [0, 1]$ Related Functions $y_i(t)$

(3)

$$y_i(t) = T(x_i, t) + \xi(\zeta)$$

We call it the measured component of the heating process.

Task 1 From the functions $y_i(t)$, $t \in [0, 1]$, constants a, α, μ and relations (1)-(3) determine

$$T'(\bar{x}, t), t \in [0, 1], (\bar{E} \neq \bar{E})$$

Let $g(t)$ be some given function from $(0, \tau)$

Task 2.

For all the data of task 1, find the value

$Z_g =$

$$Z_g = \int_0^{\bar{t}} g(t) T'(\bar{x}, t) dt$$

It is clear that the solutions of Problem 2 for various functions $g(t) = g_i(t)$ $i = 1, 2, \dots$ making up the basis of space $Z_2(0, \tau)$ will allow us to find the function from the projections $T_j(x, t)$ (4) as an element $Z_2(0, \tau)$.

Therefore, we will consider only Problem 2 below. For brevity, we consider below the observation of one the distribution of the sensor ($i = 1$) to the general case will be fundamentally understandable.

$$Z_g \int_0^{\bar{t}} g(t) T'(\bar{x}, t) dt = \int_0^{\bar{t}} [K(t)T(\bar{x}, t) + \varphi(t)U(t)] dt$$

On the solutions of equation (1)(1), we consider the identity

REFERENCES

1. Butkovsky A.G. The theory of optimal control of systems with distributed parameters. M. 1965.
2. Krasovsky N.N. Motion control theory. M. 1968.
3. Israilov I., Kirin N.E., Rustamov M.D. Tasks of observability of the heating process. Questions of computational and applied mathematics. T., 1988, issue 84, -166 p.
4. Rustamov M. Nātijada Issiqlik o'zgarishini o'lchash natijasida berilgan nuqtadagi Issiqlik o'zgarishini aniqlash usuli. Republic of ilmiy-nazariy conference. SamDU 2019 15-December